

Research on turbulence parameterisations in regional AQ modelling

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Overview

- Regional modelling in Croatia
- Turb. Parametrization schemes
- FLOSSII and CASES99
- LES data
- Evaluation
- Conclusions

Regional modelling in Croatia

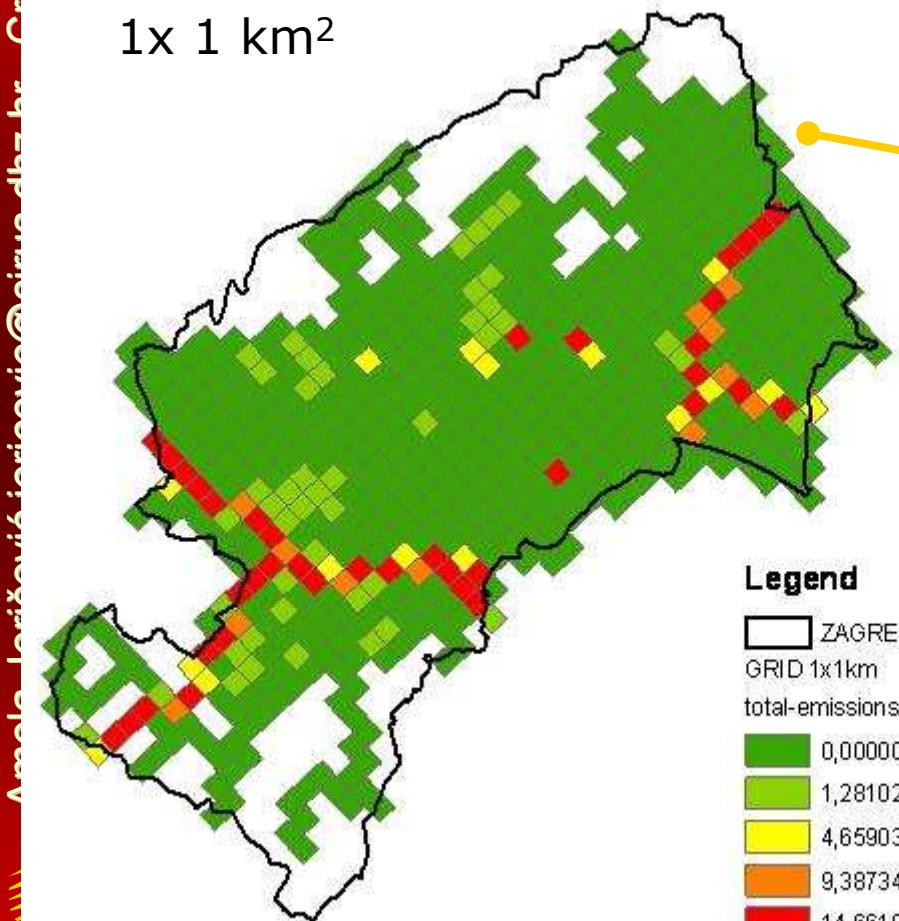
- EMEP/EMEP4HR model (*Jeričević et al., 2007; Kraljević et al., 2008*)
- Atm. transport and deposition of acidifying and eutrophying comp., photo-oxidants and PM over Europe.
- Vertical: 20 terrain-following layers reaching up to 100 hPa (1. model layer at 100 m~1/2 sgm. lay. at 50m)
- Input-3h NWP PARLAM-PS output (*Jakobsen et al., 1995; Simpson et al., 2003*).
- Emissions
- Objective-development of Croatian modelling capacities



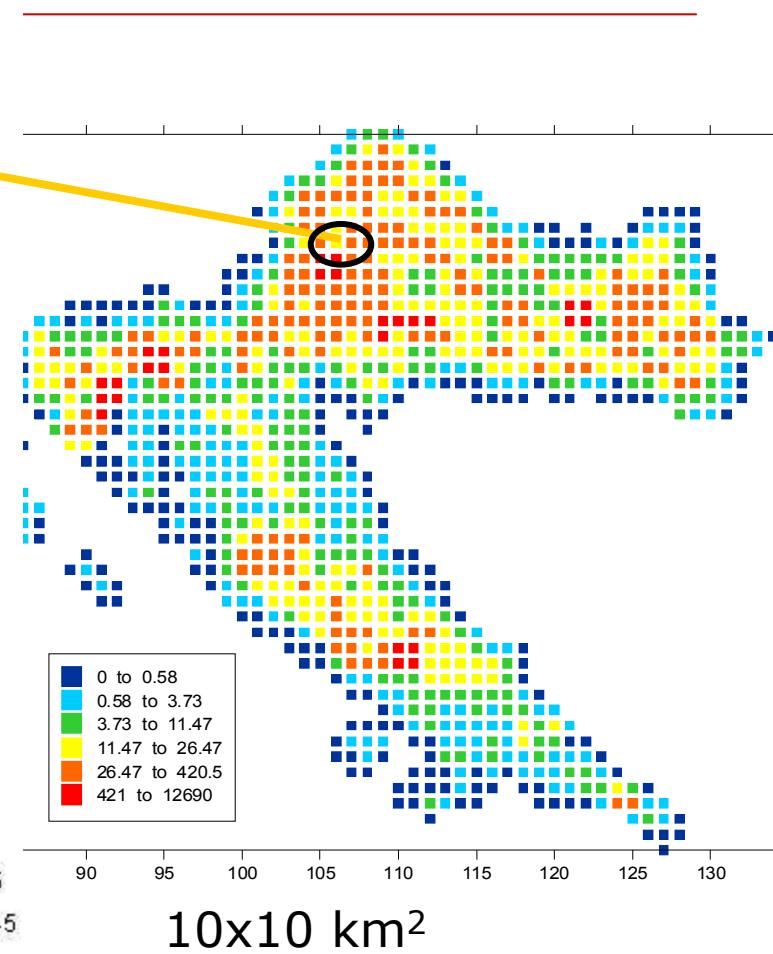


Emissions

1x 1 km²



DHMZ



Turbulence parameterizations

- Vertical diffusion- $K(z)$
 - In SBL Blackadar scheme is used
 - In CBL O'Brien
 - New app. => aimed on $K(z)$ improvement in SBL conditions
- ABL height parameterizations
 - SBL-based on $K(z)$ profile
 - CBL- SHF distributed vertically ~ dry adiab. adj.
=> H height of corr. adiab. layer
 - New approach is based on R_{IB} number-not included in this presentation

K(z) schemes-1.order schemes

- Blackadar (1979) in SBL and 'free' atmosphere

$$K(z) = \begin{cases} 1.1(Ri_C - Ri)l^2 |\Delta V_H / \Delta z| / Ri_C & Ri \leq Ri_C \\ 0.001 & Ri > Ri_C \end{cases}$$

$$l = k \cdot z \quad z \leq z_m$$

$$l = k \cdot z_m \quad z > z_m$$

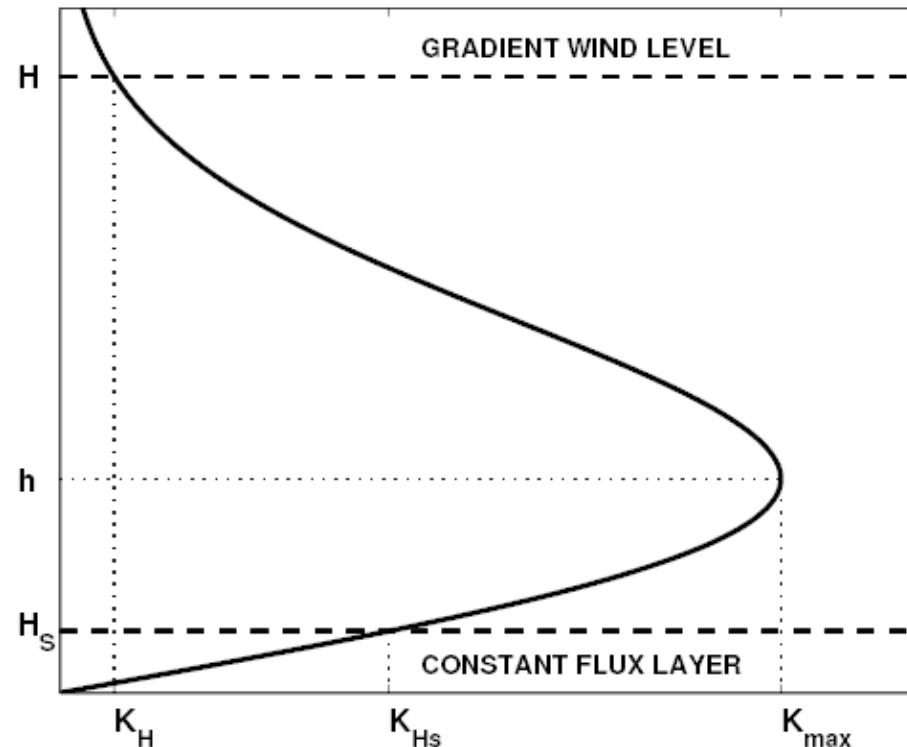
- O'Brien (3rd order polynomial) in CBL

- New approach: Grisogono scheme

$$K(z) = (K_{\max} e^{1/2} / z_{\max}) z \exp[-0.5(z / z_{\max})^2]$$



K(z) profiles

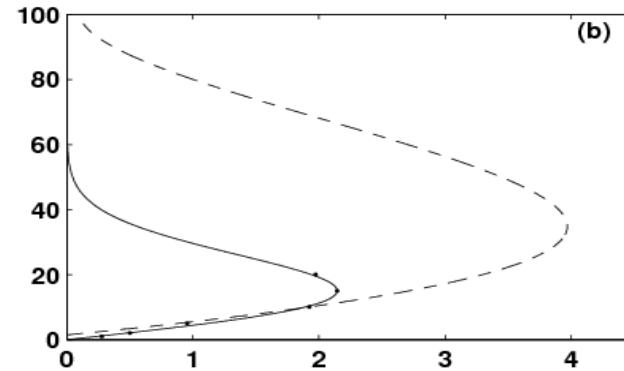
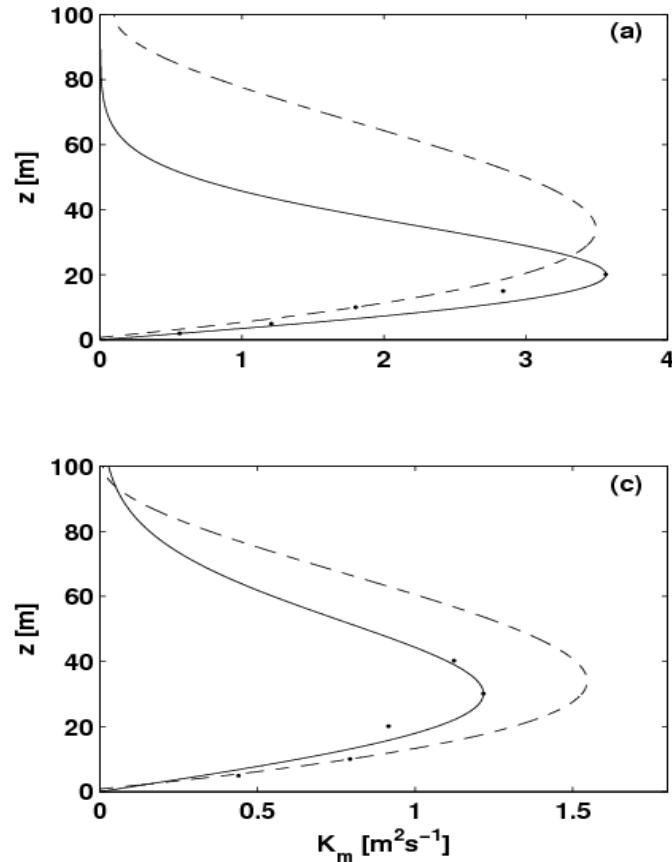


$$K_{max} = C(K) H u_*,$$

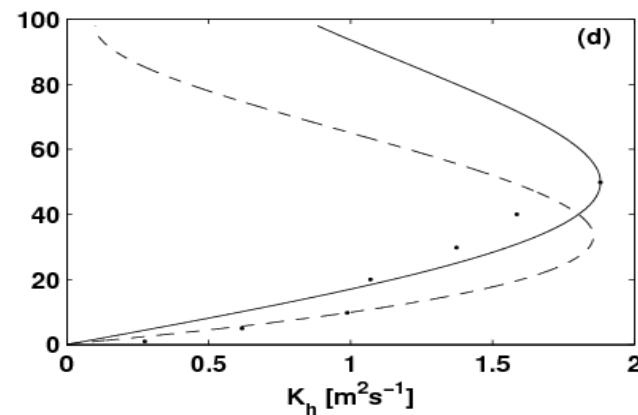
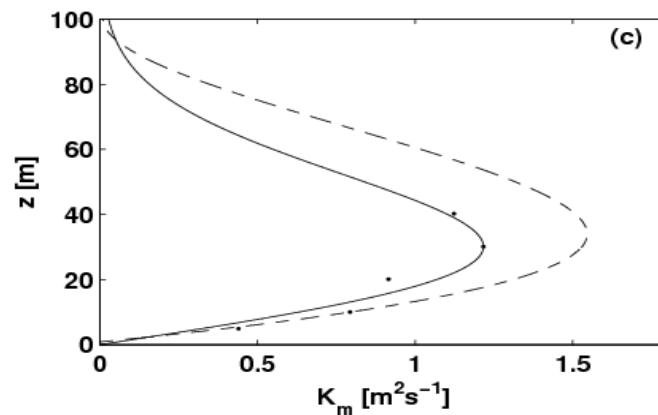
$$h = H / C(h)$$

Main task to determine coefficients in K_{max} and h

FLOSS II and CASES99 experiments- (Jerićević and Večenaj, 2009 in BLM)



FLOSSII



CASES99

LES data

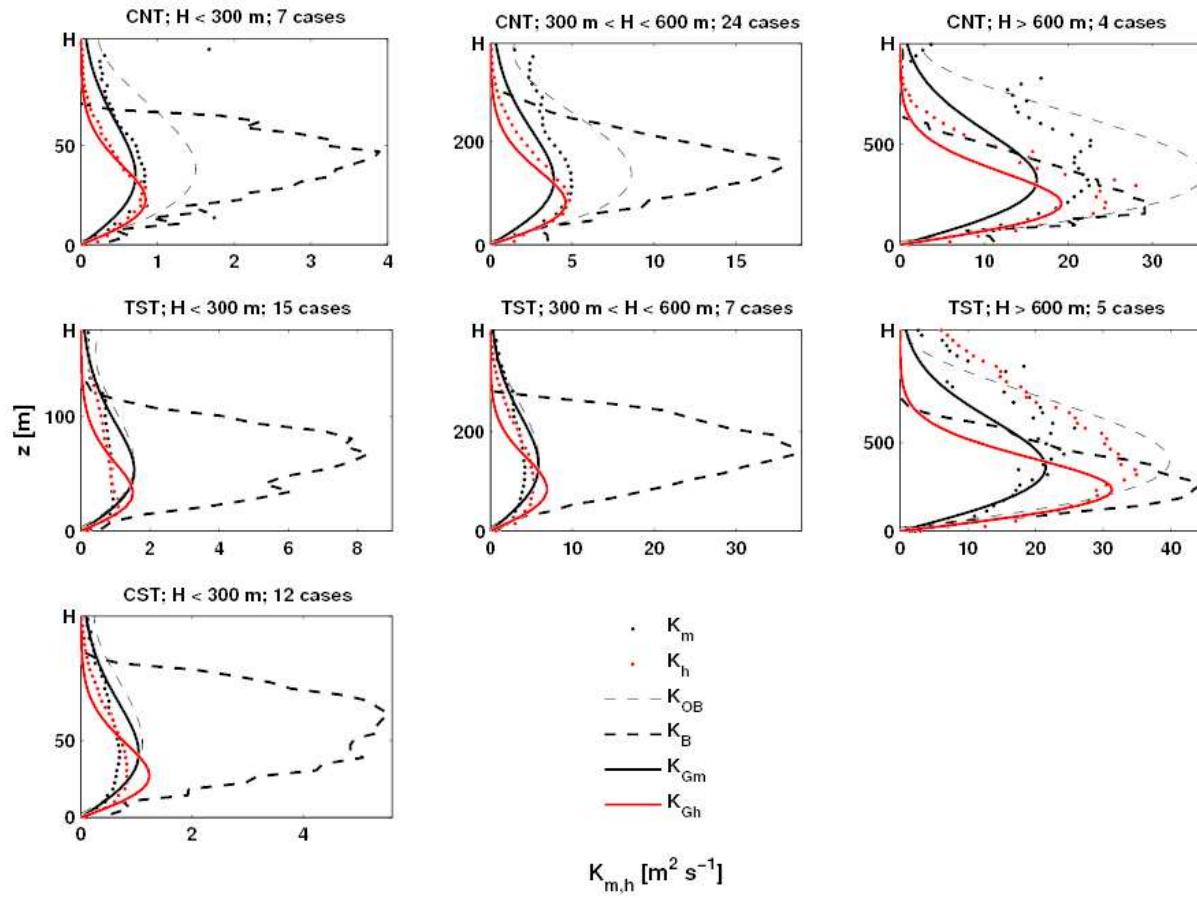
- DATABASE64 (*Esau and Zilitinkevich, 2006.*) -
**dynamic sub-grid scale closure model parameterizes TKE
dissipation with Smagorinsky closure and a resolution of 64^3
gridpoints**
- ~ 140 runs of stable and neutral conditions,
each case run 15h
- Boundary cond. ~ initial T profile (neutral or
with const. strat.), const. back. Vg, the surf.
roughness length and surf. heat flux

Empirical coefficients

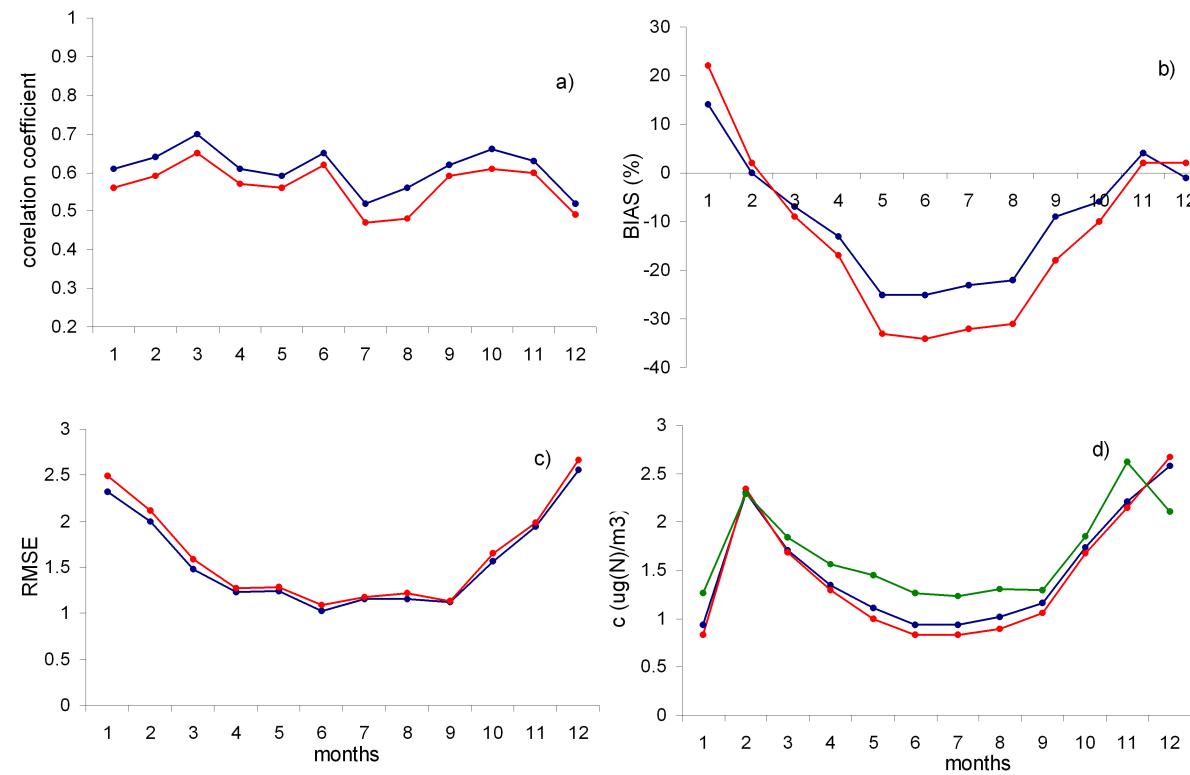
- O'Brien, Blackadar and Grisogono schemes vs K profiles in the LES (*JV09, Jeričević et al. 2010 in ACP*)

	$C(K) \pm \sigma$	$C(z_{\max}) \pm \sigma$
$K_m (\text{m}^2\text{s}^{-1})$	0.04 ± 0.02	0.32 ± 0.16
$K_h (\text{m}^2\text{s}^{-1})$	0.05 ± 0.02	0.21 ± 0.08

LES K(z) profiles



Evaluation in EMEP: NO₂



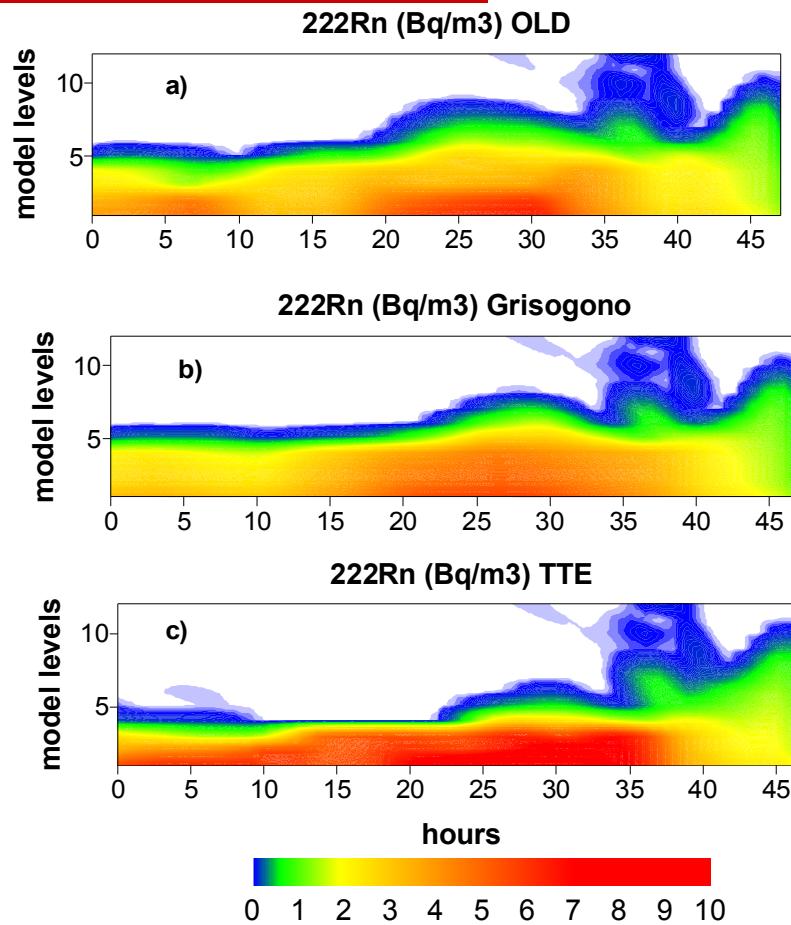
K(z) scheme-higher order

- Scheme based on TTE

$$K(z) \approx \frac{2f_\theta^2 E_k l}{C_\phi \sqrt{E}}$$

- f_θ non.-dim. heat flux
- l - disipation lenght
- C_ϕ empirical const from LES (*Mauritsen et al., 2007*)

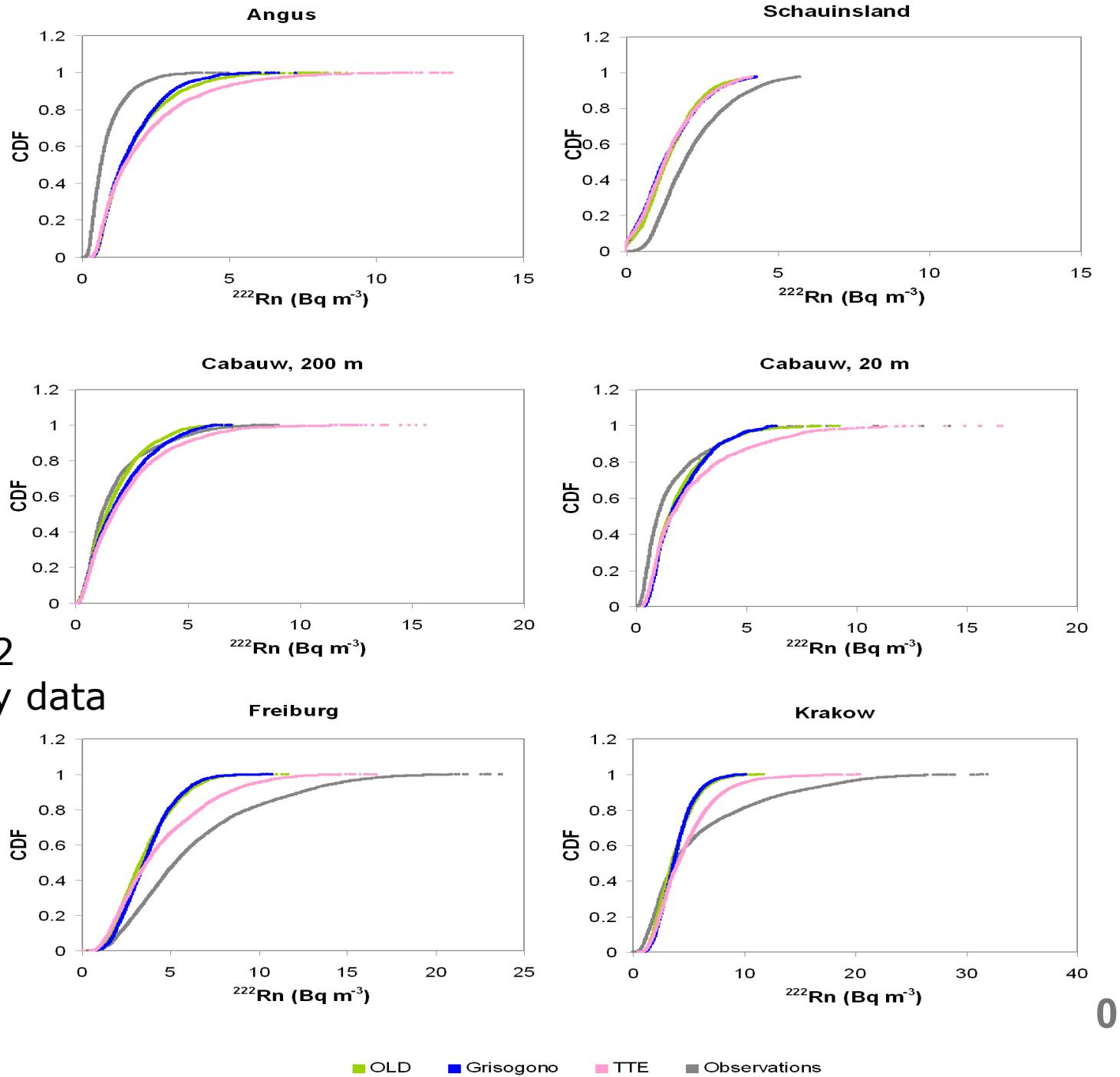
Case study: 7-8 November 2006 Cabauw





Rn222 hourly data

ABL-



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Conclusions

- Improvement proportional to the model robustness with the Grisogono scheme is evident.
- TTE scheme tend to produce lower mixing ~higher surf. conc.
- The best results at Cabauw-representative for the model, flat terrain
- **Further steps:** empirical coeff. for CBL for K_h (inclusion of countergradient term) and $K_m \Rightarrow$ test in the EMEP and EMEP4HR model to test the effects of different met models/resolution/ $K(z)$ schemes on modelling results